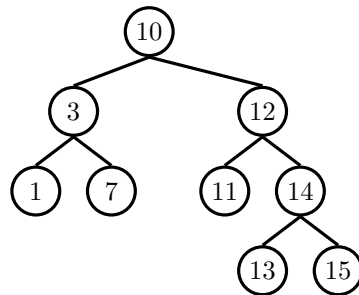


1 Tree-versals



Write the pre-order, in-order, post-order, and level-order traversals of the above binary search tree.

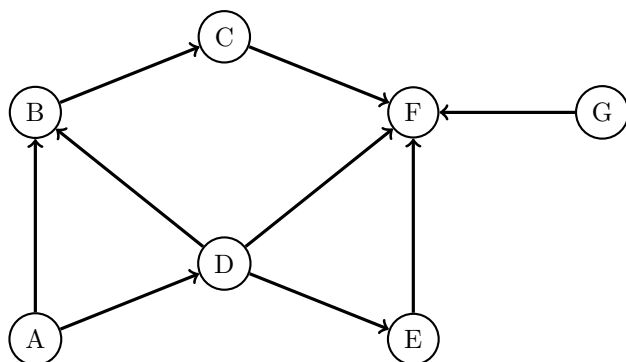
Pre-order:

In-order:

Post-order:

Level-order (BFS):

2 Graph Representations



- (a) Write the graph above as an adjacency matrix, then as an adjacency list. What would be different if the graph were undirected instead?

- (b) Write the order in which DFS pre-order graph traversal would visit nodes in the directed graph above, starting from vertex *A*. Break ties alphabetically.
Extra: Do the same for DFS post-order and BFS

3 Heaps of Fun

- (a) Assume that we have a binary min-heap (smallest value on top) data structure called `MinHeap` that has properly implemented `insert` and `removeMin` methods. Draw the heap and its corresponding array representation after each of the operations below:

```
1 Heap<Character> h = new MinHeap<>();
2 h.insert('f');
3 h.insert('h');
4 h.insert('d');
5 h.insert('b');
6 h.insert('c');
7 h.removeMin();
8 h.removeMin();
```

- (b) Your friendly TA Tony challenges you to quickly implement an integer max-heap data structure. However, you already have your `MinHeap` and you don't feel like writing a whole second data structure. Can you use your min-heap to mimic the behavior of a max-heap? Specifically, we want to be able to get the largest item in the heap in constant time, and add things to the heap in $\Theta(\log n)$ time, as a normal max heap should.

Hint: Although you cannot alter them, you can still use methods from `MinHeap`.